

RESEARCH ARTICLE

# The Pasteur Racemic Mixture: Entanglement Interpreted as the Optical Isomerism

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## Abstract

We describe entanglement as a racemic mixture that has an equal amount (50 : 50) of left- and right-handed enantiomers. Louis Pasteur separated two enantiomeric isomers in 1848. Therefore, we want to introduce the Pasteur racemic sphere where all antipodes on this sphere represent the strong anticorrelation of enantiomers (anticorrelated singlet state). This strong anticorrelation is expressed via the trigonometric functions: the versine  $2\theta = 2 \sin^2\theta$  and the vercosine  $2\theta = 2 \cos^2\theta$  for the central angle  $2\theta$  in the unit circle with  $R = 1$ . These trigonometric functions describe the active surface of the spherical caps of both enantiomers during their reactions in the polarizing beamsplitters. The experimentalist will get correlation probabilities  $P_{++}$ ,  $P_{--}$ ,  $P_{+-}$ , and  $P_{-+}$  for individual settings and the correlation coefficient  $E = -\cos(2\theta)$ . The “colors” of enantiomers are depicted in the primary and secondary (complementary) colors inspired by the quantum chromodynamics school. The individual enantiomers are “white” and the formed pair of anticorrelated enantiomers is “white” as well. The individual polarizers change the original “color” of enantiomers. The resulting “color” of enantiomers can be expressed via the both trigonometric functions. This mathematical description is identical with quantum mechanics predictions. These “color” enantiomers represent the “local hidden variables” and explain the independent and immediate reactions with both polarizers. This proposal could reopen the door to the Einstein’s intuition expressed in the EPR paradox. Based on the old French school and their polarization studies, we can modify the correlation coefficients by optical active molecules in one path and optical inactive molecules in the other path. With the knowledge of the specific rotation of used optical active molecules we can prepare “tailor-made” correlation coefficients.

**Keywords:** Enantiomers, EPR Paradox, Local Hidden Variables, Optical Isomerism.

## 1. Introduction

Since 1935, the Einstein-Podolsky-Rosen (EPR) argument has provoked sustained debate about the completeness of quantum mechanics and the possibility of the existence of hidden variables [1]-[10]. In 1964, Bell provided inequalities enabling decisive experiments to contrast local hidden-variable models with quantum predictions [11] – [20]. Successive, increasingly loophole-tight tests have agreed with quantum theory and ruled out broad classes of local hidden-variable explanations [21] – [44]. Despite this, new proposals periodically revisit

hidden-variable ideas or seek fresh physical pictures for the observed correlations [45] – [58]. The prevailing consensus holds that local hidden-variable theories are excluded. Yet it is still reasonable to ask whether a neglected, historically inspired avenue remains – one that reframes the correlation without invoking superluminal causation. In this paper we revisit the experiment of Louis Pasteur with the experimentally separated enantiomers. Pasteur founded the research school termed as the optical isomerism in 1848 [59], [60]. In 1964, Gell-Mann, Zweig and Greenberg started the quantum chromodynamics (QCD) school

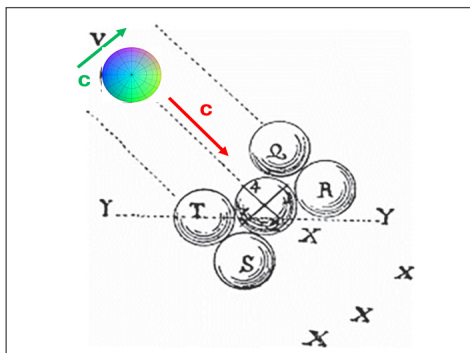
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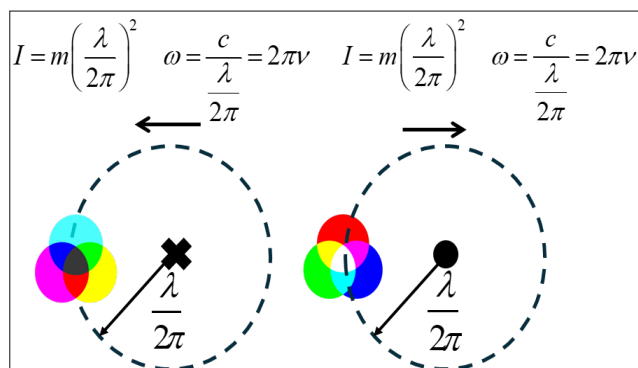
for the interpretation of subnuclear events [61] – [63]. The rules of this QCD school can be applied for description of both enantiomers. The aim of this contribution is not to dispute the empirical success of Bell-type experiments, but to explore whether a historically rooted, physically transparent mechanism can coexist with the established formalism while offering new, testable predictions.

## 2. Properties of Entangled Photons - Enantiomers

Descartes proposed that “light globules” rotate with the same speed as is their longitudinal speed [64]. Descartes’ intuition is shown in Figure 1. This earlier Descartes’ proposal can be expressed in Figure 2 as the rotation of two photon enantiomers.



**Figure 1.** Descartes model of “light globules”: the rotation speed of those globules is identical with their longitudinal speed.



**Figure 2.** Rotation of two photon enantiomers in the opposite directions. Photons with mass  $m$  rotate around the empty center with their inertia  $I$  and the angular velocity  $\omega$ . The quantum of the moment of inertia introduced Bjerrum in 1912 [65].

The rotation of photon mass around the empty center can be described by its moment of inertia  $I$  and its angular velocity  $\omega$  (the quantum of the moment of inertia was proposed by Bjerrum in 1912 [65]).

$$\frac{h}{2p} = I\omega = m\left(\frac{l}{2p}\right)^2 \frac{c}{l} = \frac{ml}{2p} \quad (1)$$

where  $h/2\pi$  is the reduced Planck constant.

In order to describe the entangled photons as two correlated enantiomers we will define the color orientations of those photons in Table I. This model was inspired by the quantum chromodynamics (QCD) school – the free particles should be “white”.

**Table 1.** The Color Description of Enantiomers





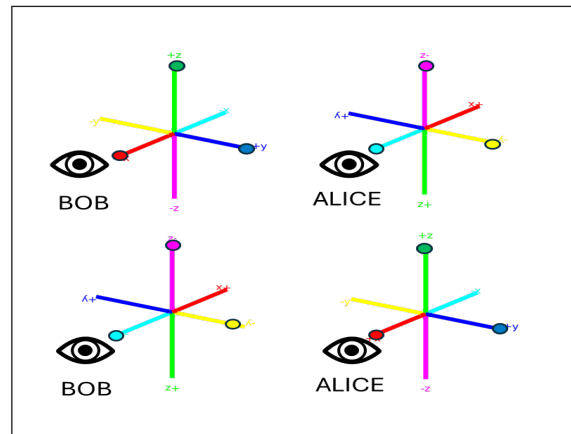
Color direction	Color	Position
	Red (R)	+x
	Green (G)	+z
	Blue (B)	+y
	Cyan (G+B)	-x
	Magenta (R+B)	-z
	Yellow (R+G)	-y
	White (R+G+B)	Enantiomer
	White (C+M+Y)	Enantiomer

Figure 3 depicts the color orientation of enantiomers in the direction towards Alice and Bob.

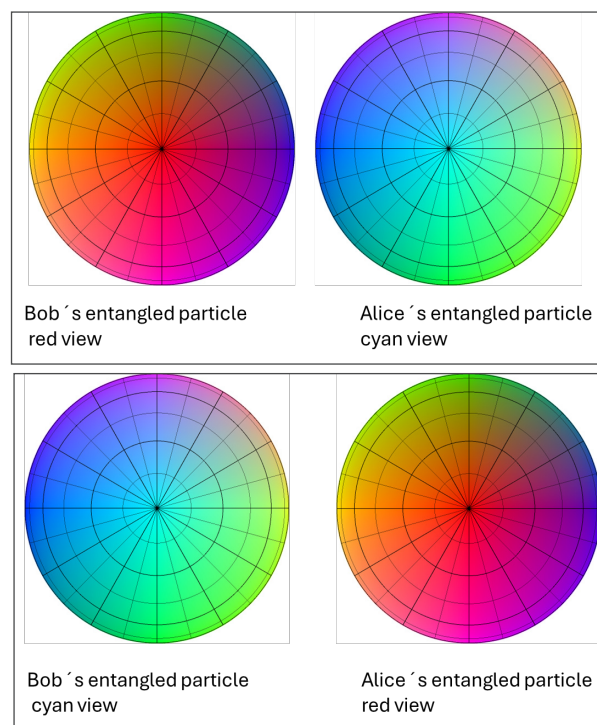


**Figure 3.** Color position of entangled enantiomers in the direction towards Alice and Bob. The statistical occurrence of both enantiomers is 50:50.

### 3. The Pasteur Racemic Mixture

Figure 4. Shows the color spheres of enantiomers that

were not rotationally modified during their flights. Alice and Bob see the complementary colors.



**Figure 4.** Color view of enantiomers approaching towards Bob and Alice. In this case both enantiomers were not modified during their flights. The statistical occurrence of both enantiomers is 50:50.

### 4. Correlation Coefficient of Enantiomers

There is the interesting Central Angle Theorem: The central angle subtended by two points on a circle is twice the inscribed angle subtended by those points. The Central Angle Theorem states that the measure of inscribed angle APB is always half the measure of the central angle AOB – Fig. 5. This theorem holds when P is in the major arc. If P is in the minor arc (that is, between A and B), then the inscribed angle is the supplement of half the central angle. This is an important property of this circle. The detector P “sees” those two points A and B in any position of detector under the angle  $2\theta$ .

There is one more important property of the enantiomer sphere – the surface of the both spherical caps. For the central angle  $2\theta$  we can use the trigonometric functions versine and vercosine.

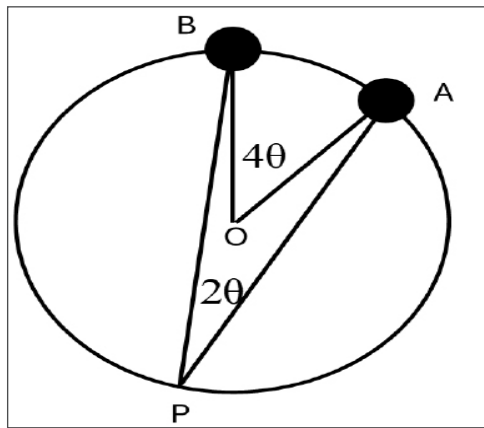
$$\text{versin } 2\theta = 1 - \cos 2\theta = 2 \sin^2 \theta \quad (2)$$

$$\text{vercosin } 2\theta = 1 + \cos 2\theta = 2 \cos^2 \theta \quad (3)$$

The surface of both spherical caps is given as.

$$S_1 = 2\pi R R (1 - \cos 2\theta) = 4\pi R^2 \sin^2 \theta \quad (4)$$

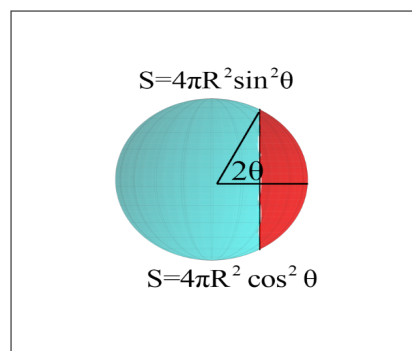
$$S_2 = 2\pi R R (1 + \cos 2\theta) = 4\pi R^2 \cos^2 \theta \quad (5)$$



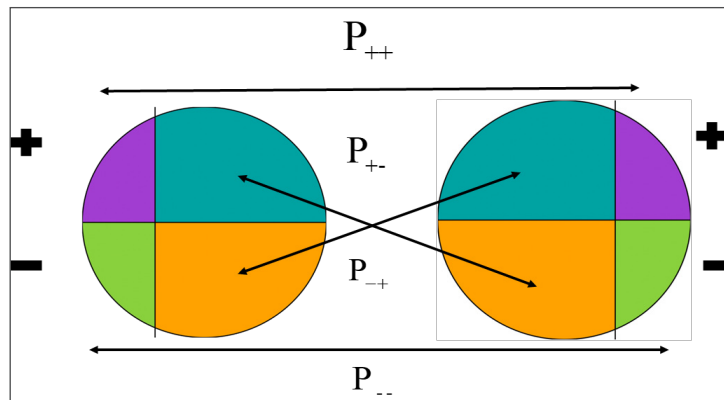
**Figure 5.** The central Angle Theorem: the central angle subtended by two points on a circle is twice the inscribed angle subtended by two points. The detector “sees” those two points in any position under the angle  $2\theta$ .

Figure 6 depicts the surface of both spherical caps. We assume that the “active” the surface of spherical caps plays a very important role during flight of enantiomers through the polarizing beamsplitter. The joint action of the polarizing beamsplitter and the “active” surface of approaching enantiomer will decide the path to the + channel direction or the – channel direction.

Based on these  $\pm$  directions at Alice and Bob sites the complete statistical evaluation can be determined – Figure 7. From the sizes of individual surfaces of those spherical caps, we can determine the probabilities  $P_{++}$ ,  $P_{+-}$ ,  $P_{-+}$ , and  $P_{--}$ . The correlation coefficient  $E$  is identical with the prediction of quantum mechanics for the anticorrelated singlet.



**Figure 6.** The surface of both spherical caps with the central angle  $2\theta$ .



**Figure 7.** The active surfaces of both spherical caps with the central angle  $2\theta$  determine the probabilities and the final correlation coefficient  $E$  can be calculated. The geometrical analyses of individual contributions are based on the size of surfaces.

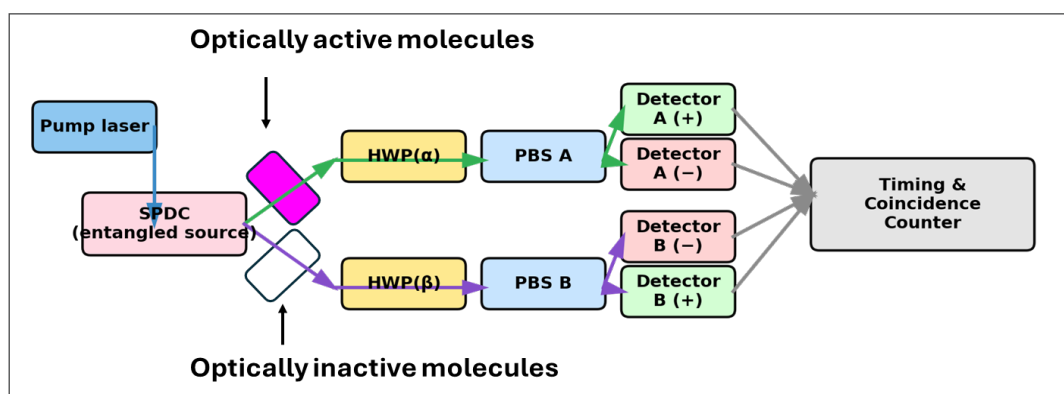
$$E = \frac{2 * 4\pi R^2 (P_{++} + P_{--} - P_{+-} - P_{-+})}{2 * 4\pi R^2}$$

$$E = \frac{2 * 4\pi R^2 \left( \frac{1}{2} \sin^2 \theta + \frac{1}{2} \sin^2 \theta - \frac{1}{2} \cos^2 \theta - \frac{1}{2} \cos^2 \theta \right)}{2 * 4\pi R^2}$$

$$E = \frac{1}{2} \sin^2 \theta + \frac{1}{2} \sin^2 \theta - \frac{1}{2} \cos^2 \theta - \frac{1}{2} \cos^2 \theta = -\cos 2\theta$$

## 5. Old French School with Enantiomers

- (6) There is very well known that the Old French Masters founded the scientific field with the polarized light. E.g., Étienne-Louis Malus, Louis Pasteur, Jean Baptiste Biot, Augustin-Jean Fresnel, François Arago, Frédéric Wallerant, Aimé Cotton, Francis Perrin, and Alain Aspect with his coworkers – all contributed significantly to the study of polarized light [66].



**Figure 8.** A modification of the Alain Aspect Experiment with optically active molecules in one path while in the other path will be optically inactive molecules.

Therefore, we propose to modify the “Alain Aspect Experiment” with introduction of optically active molecules, with their known specific rotation, into one path of the observed enantiomers. This modification can create “tailor-made” correlations between Alice and Bob – see Figure 8.

## 6. Conclusions

This entanglement model is not just a reinterpretation of standard correlation formulas. Based on the element of physical reality – the existence of enantiomers – a new derivation of the correlation coefficient was proposed. This “visible” parameter can be manipulated by the presence of optically active molecules and thus the resulting correlation coefficient can be modified beyond the predictions of quantum mechanics.

1. The entangled particles were described as two anticorrelated enantiomers.
2. These enantiomers were modeled by the rules of quantum chromodynamics.
3. The “element of the physical reality is the “active” surface of spherical caps of enantiomers.
4. The correlation coefficient can be “tailor-made” by the insertion of optically active molecules into one path of used settings for these experiments.

## Acknowledgment

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## Conflict of Interest

The author declares that there is no conflict of interest.

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